P8482

**SEAT No. :** 

[Total No. of Pages : 2

#### Oct-22/BE/Insem-68

B.E. (Electrical)

## ADVANCED CONTROL SYSTEM

## (2019 Pattern) (Semester - VII) (403142)

[Max. Marks : 30

Instructions to the candidates :

Time : 1 Hour]

- 1) Answer any one question from each pair of questions : Q.1 & Q.2 and Q.3 & Q.4
- 2) Figures to the right side indicate full marks.
- Q1) a) Draw Electrical network & Derive Fransfer function of lag compensation network. [5]
  - b) For a certain system,

Design a suitable lag compensator, phase margin =  $50^{\circ}$ .

Q2) a) Design lead compensation for the system having open loop transfer function. [10]

$$G(s)H(s) = \frac{25}{s(0.5s+1)(0.016s+1)}$$
 & PM around 42

b) Explain steps to be taken to design lead network by bode plot approach.

[5]

- Q3) a) Explain any one peculiar behavior of nonlinear system : [5]
  - i) Jump resonance
  - ii) Limit cycle
  - iii) Sub-harmonic oscillation

*P.T.O.* 

In unity feedback system an ideal relay with output equal to  $\pm 1$  unit is b) connected in cascade with [10]

 $G(s) = \frac{20}{s(s+1)(s+3)}$  Determine amplitude and frequency of limit cycle if it Exist by describing function method.

#### OR

- Explain Lyapunov stability analysis and its stability conditions. **Q4**) a) [7]
  - Explain common type of Nonlinearities with diagrams. [8]



Oct-22/BE/Insem-68

Total No. of Questions : 4]

**P5214** 

SEAT No. :

[Total No. of Pages : 2

#### [6188]-167

**B.E.** (Electrical Engineering) (Insem) ADVANCED CONTROL SYSTEM (2019 Pattern) (Semester - VII) (403142)

Time : 1 Hour]

[Max. Marks : 30

- Instructions to the candidates: Solve Q.1 or Q.2 Q.3 or Q.4. **1**)
  - 2) Figures to the right indicate full marks.
  - Neat diagrams must be drawn wherever necessary. 3)
  - Assume suitable additional data, if necessary. **4**)
  - Use of non-programmable calculator is allowed. 5)

Draw the circuit diagram and hence derive the transfer function for a *Q1*) a) phase lag network, and state its importance. [7]

- The open loop Transfer function of a unity feedback control system is b) given by G(s) = K / S(1 + 0.2S). Design a suitable lead compensator such that the given system has static velocity error constant 10 and Phase margine 50°. [8]
- Draw the circuit diagram and hence derive the transfer function for a *Q2*) a) [7] phase lead network and also state its importance.
  - b) Design a lag compensator network for G(s) = K / S(S + 2), with velocity 10 and Phase margin greater than 60° error constant >>> [8]

arsys Explain the following with respect to non-linear system *Q3*) a)

Support the answers with figures.

- Limit Cycle i)
- Sub harmonic oscillations. ii)

[7]

b) In a unity feedback control system an ideal relay is connected in series with linear element having transfer function G(s) = 6 / S(S + 2) (S + 3). The output of the relay is  $\pm 2$  units. Check for the existence of limit cycle and if it exists determine the amplitude and frequency. [8]

# OR

- Q4) a) Derive the mathematical expression for the describing function of an ideal relay. Support the answer with a figure. [7]
  - b) Explain any four common non linearities with their characteristics. [8]

Total No. of Questions : 4]

**PC208** 

[6361]-68

SEAT No. :

[Total No. of Pages : 2

## B.E. (Electrical) (Insem) ADVANCED CONTROL SYSTEM (2019 Pattern) (Semester - VII) (403142)

Time : 1 Hour]

[Max. Marks : 30

- Instructions to the candidates: 1) Answer Q.1 or Q.2, Q.3 or Q.4.
  - Figures to the right indicates full marks.
  - 3) Draw neat diagrams wherever necessary.
  - 4) Assume suitable data, if necessary.

Q1) a) Define a lag compensator. Explain lag compensator with the electrical circuit and derive transfer function. Draw Pole zero plot. [5]

b) The open loop transfer function of an uncompensated system is k

 $G(S) = \frac{k}{s^2(0.2s+1)}$ . Design a suitable lead compensator such that the

system will have  $k_a = 10$  and Phase Margin  $\ge 35$  degrees. Draw a bode plot of the uncompensated system and write the overall transfer function of the compensated system. (No need to draw a bode plot of the compensated system). [10]

#### OR

- Q2) a) Explain the approach to the control system design using a compensator. [5]
  - b) A unity feedback system has an open loop transfer function,  $G(s) = \frac{k}{s(s+1)}$ . Design a lag compensator such that the system will have  $k_v = 10$  and Phase margin at least 45 degrees. Draw a bode plot of the uncompensated system and write the overall transfer function of the compensated system. (No need to draw a bode plot of the compensated system). [10]

*P.T.O.* 

- Q3) a) List out the common nonlinearities and explain any two.
  - b) Explain limit cycles. Define stable limit cycles and unstable limit cycles. [7]

[8]

Define stability, asymptotic stability, asymptotic stability at large, and in **Q4**) a) stability in the sense of Lyapunov with graphical interpretation. [8]

OR

b) The open loop transfer function of a certain unity feedback control system is given by  $G(s) = \frac{5}{(s+1)(0.1s+1)^2}$ . An ideal relay having output  $\pm 1$  is used to improve the system performance. Determine amplitude, frequency and time period of limit cycle, if it exists. [7] Total No. of Questions : 8]

**P568** 

#### [Total No. of Pages : 2 [6004]-504 **B.E.** (Electrical) **ADVANCED CONTROL SYSTEM** (2019 Pattern) (Semester - VII) (403142)

*Time : 2<sup>1</sup>/<sub>2</sub> Hours*]

[Max. Marks : 70

[10]

[8]

SEAT No. :

Instructions to the candidates:

- Attempt Q.1 or Q.2, Q.3 or Q.4, Q.5 or Q.6 and Q.7 or Q.8. *1*)
- Figures to the right indicate full marks. 2)
- $\frac{S+1}{1.3S+0.4}$  Given system represent in *Q1*) a)
  - Controllable canonical form.
  - Observable canonical form.
  - , x(0) [1 0]<sup>T</sup>. For a given system A = b)

Obtain STM & find its solution

- Explain and derive the Cayley Hamilton theorem of STM. *Q2*) a)
  - Derive the transfer function from the state variable model and Evaluate **b**) 9.40.200 2002 ANONOLS from the state variable model of a discrete the transfer function time system with usual notation. [10]

OR

 $\mathbf{X} = \begin{bmatrix} 1.8 & 1 \\ 0 & 2.5 \end{bmatrix} \mathbf{x} + \begin{bmatrix} 1 \\ 0.5 \end{bmatrix} \mathbf{u}$  $\mathbf{Y} = \begin{bmatrix} 1 & 0 \end{bmatrix} \mathbf{x}$ 

*P.T.O.* 

[6004]-504

Total No. of Questions : 8]

**PB-2267** 

[Total No.

**SEAT No. :** 

## [6263]-105 B.E.(Electrical Engineering) ADVANCED CONTROL SYSTEM (2019 Pattern) (Semester - VII) (403142)

*Time : 2<sup>1</sup>/<sub>2</sub> Hours] Instructions to the condidates.* 

- 1) Solve Q1 or Q2, Q3 or Q4, Q5 or Q6, Q7 or Q8.
- 2) Figures to teh right side indicate full marks.
- 3) Neat diagrams must be drawn wherever necessary.
- 4) Assume suitable data if necessary.
- 5) Use of non-programmable calculator is allowed.

Q1) a) State and prove the properties of state transition matrix (STM). [4]

- b) Define state, state vector, state equation and output Equation. Draw state diagram. [6]
- c) For a given system

$$A = \begin{pmatrix} 0 & 1 \\ -2 & -3 \end{pmatrix} x(0) = \begin{pmatrix} 1 \\ 0 \end{pmatrix}$$

- Q2) a) Write down the steps to be followed for computing state transition matrix using Caley Hamilton theorem. [4]
  - b) Evaluate the transfer function Y(s)/U(s) from the state variable model of a system with usual notation. [6]

$$x = \begin{pmatrix} -2 & -3 \\ 4 & 2 \end{pmatrix} x + \begin{pmatrix} 3 \\ 5 \end{pmatrix} u, y = (1 \ 1) x$$

c) Obtain diagonal canonical state model of state Space representation of the system. Also draw state model diagram. [8]

$$\frac{C(s)}{R(s)} = \frac{s+5}{s^3+6s^2+11s+6}$$

[Max. Marks : 70

[8]

- Q3) a) What is principle of Duality? Explain effect of pole-zero cancellation on Controllability and Observability. [7]
- Given [10] b)  $x = \begin{bmatrix} 0 & 0 & 1 \\ 0 & -2 & -3 \end{bmatrix}$  $y = (1 \ 3)$ Determine Controllability& Observability of the system. OR Derive and explain Ackermann's formula for pole placement design. [7] **Q4**) a) For a given system b) [10]  $A = \begin{pmatrix} 0 & 1 \\ 0 & -2 \end{pmatrix} B = \begin{pmatrix} 0 \\ 4 \end{pmatrix} C = \begin{pmatrix} 1 & 0 \end{pmatrix}$ Determine the observer gain matrix K<sub>e</sub> such that the observer poles are placed at  $S_1, S_2 = -8, -8$ . Explain mapping between s-plane and z-plane with proper diagrams.[8] *Q*5) a) Determine stability of system using Jury's test whose characteristic **b**) polynomial is  $P(z) = Z^3 + 21Z^2 + 144Z + 0.32 = 0$ . **[10]** Explain the sampling and reconstruction process. Also state the sampling **06**) a) theorem and give its importance. Explain in detail the basic building blocks of discrete time control System b) with appropriate diagram What is adaptive control? **Q7**) a) [3] List the salient properties of sliding mode control. b) [6] What is reaching law? Why is it required? Derive expressions of control c) for constant rate reaching law, constant plus proportional rate reaching law and power rate reaching law. [8] OR
- Q8) a) Explain the terms sliding phase and reaching phase in the context of sliding mode control. [3]
  - b) Explain the gain scheduling adaptive scheme with a block diagram. [6]
  - c) Draw block diagram of Model Reference Adaptive Control scheme and explain it. [8]

[6263]-105

PA-924

SEAT No. :

[Total No. of Pages : 3

## [5927]-356 B.E. (Electrical) ADVANCED CONTROL SYSTEM (2019 Pattern) (Semester - VII) (403142)

Time : 2½ Hours]

[Max. Marks : 70

Instructions to the condidates:

- 1) Solve Q1 or Q2, Q3 or Q4, Q5 or Q6, Q7 or Q8.
- 2) Figures to the right indicate full marks.
- 3) Neat diagrams must be drawn wherever necessary.
- 4) Use of algorithmic tables slide rule, and electronic pocket calculator is allowed.
- 5) Assume suitable data if necessary.
- Q1) a) Derive the formula to get transfer function from the state model. [6]
  - b) Determine state transition matrix for the system give below by using

Lapalce transformation technique  $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ -2 & -3 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$  [6]

c) Write a set of state equations for the circuit given below.



- Q2) a) Obtain the state model of the following differential equation (phase variable representation)  $4y + 3\ddot{y} + y + 2\dot{y} = 5u$  [6]
  - b) What is state transition matrix? List the properties of sate transition matrix. [6]
  - c) Define state, state variable, state vector, state equation and output equation. Draw state diagram. [6]

Q3) a) Check the observability of the state model given below usingKalman's Test[6]

	0	1	0	[0] 🔄
$\mathbf{X} =$	0	0	1   x	+0
	-9	-11	6	
$\mathbf{Y} =$	[-10	-1	5]x	
	-	~	0	

- b) Explain the effect of pole zero cancellation. [6]
- c) Explain full order observer with proper block diagram [6]
- Q4) a) What is controllability? How to investigate controllability of a system using Gilbert's test for [6]
  - (xi) Distinct eigenvalues and
  - ii) Repeated eigenvalues
  - b) Determine state feedback gain matrix for the system given below to place the closed loop poles at  $s_1 = -1.8 + j2.4$  and  $s_2 = -1.8 j2.4$  by matrix transformation technique. [6]

[6]

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ 20.6 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$$

- c) Explain the principle of duality.
- Q5) a) State and explain Shannon's Sampling theorem. How to select the sampling period? [6]
  - b) Explain mapping between s-plane and z-plane. [6]
  - c) Determine the stability of sampled data control system using Jury's stability analysis having following polynomial  $z^3 + 2.1 z^2 + 1.44z + 0.32 = 0.$  [5]

[5927]-356

- *Q6*) a) Explain the concept of Zero Order Hold and First Order Hold operations. Derive the transfer function of ZOH. [6]
  - b) Draw block diagram of the digital control system. State function of each block. [6]
  - c) Determine the stability by using Bilinear transformation for sampled data control system having polynomial [5]

$$z^3 - 4z^2 + 5z - 2 = 0$$

- Q7) a) Define adaptive control. Explain the need of adaptive control. What is adaption mechanism? [6]
  - b) If the system is given by  $\dot{x} = Ax + Bu$  and sliding surface is given by  $\dot{x} = Sx$ , prove that the closed loop system obtained by applying the equivalent control is  $\dot{x} = (I_n B(SB)^{-1}S)Ax$ . [6]
  - c) State and explain the linear quadratic regulator problem. [5]

# QR

- **Q8)** a) Draw block diagram of Model Reference Adaptive Control scheme and explain it.
  - b) What is reaching law, Why is it required? Write expressions of constant rate reaching law, constant plus proportional rate reaching law and power rate reaching law. [6]
  - c) What is optimal control? Write down the steps in linear quadratic regulator problem. [5]

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Total No. of Questions : 8]

**P-7861** 

SEAT No. :

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[Total No. of Pages : 3

[Max. Marks : 70]

[6]

# [6181]-126A

B.E. (Electrical)

# ADVANCED CONTROL SYSTEM

(2019 Pattern) (Semester-VII) (403142)

*Time : 2<sup>1</sup>/<sub>2</sub> Hours] Instructions to the candidates :* 

- 1) Solve Q1 or Q2, Q3 or Q4, Q5 or Q6, Q7 or Q8.
- 2) Neat diagrams must be drawn wherever necessary.
- 3) Figures to the right indicate full marks.
- 4) Use of algorithm tables slide rule and electronic pocket calculator is allowed.
- 5) Assume suitable data, if necessary.

Q1) a) Determine State Transition matrix using Caley Hamilton method having[6]  $\begin{bmatrix} 0 & -1 \end{bmatrix}$ 

- b) Define i) State ii) State Verichles iii) State Space represe
- b) Define i) State ii) State Variables iii) State Space representation. [6]
- c) Consider the state model with A as

 $\begin{bmatrix} 0 & 2 & 0 \\ 4 & 0 & 1 \\ -48 & -34 & -9 \end{bmatrix}$ 

Obtain Eigen values, Eigen vectors and Model matrix for matrix A.

OR

Q2) a) Determine transfer function Y(s)/U(s) for the state model given below[6]

$$\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} -3 & -1 \\ -2 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 1 \end{bmatrix} u$$
$$Y = \begin{bmatrix} 1 & 0 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix}$$

With D=0.

b) Check controllability and Observability of the system given below. [6]

$$A = \begin{bmatrix} -2 & 1 \\ 1 & -2 \end{bmatrix}, B = \begin{bmatrix} 1 \\ 0 \end{bmatrix}, C = \begin{bmatrix} 1 & -1 \end{bmatrix}, D = \begin{bmatrix} 0 \end{bmatrix}$$
*P.T.O.*

c) Obtain the state space representation for the transfer function given below

$$\frac{Y(s)}{U(s)} = \frac{2}{s^3 + 2s^2 + 3s + 4}.$$
 [6]

- Q3) a) Explain the effect of Pole zero cancellation on the controllability and observability of the system. [6]
  - b) Determine the state feedback gain matrix k to place the closed loop poles at  $s = -2 \pm i2\sqrt{3}$ , using transformation matrix method. [6]  $\begin{bmatrix} \dot{x}_1 \\ \dot{x}_2 \end{bmatrix} = \begin{bmatrix} 0 & 1 \\ 0 & 2 \end{bmatrix} \begin{bmatrix} x_1 \\ x_2 \end{bmatrix} + \begin{bmatrix} 0 \\ 4 \end{bmatrix} u$
  - c) Explain full order Observer with proper block diagram. [6] OR
- Q4) a) Construct the State model using phase variables if the system is described by the differential equation. [6]  $\ddot{y} + 6\ddot{y} + 11\dot{y} + 10y = 3u$ 
  - b) The system is described by  $\dot{x} = Ax$ , Y = Cx, where [6]

$$A = \begin{bmatrix} 0 & 1 & 0 \\ 0 & 0 & 1 \\ -1 & -5 & -6 \end{bmatrix} B = \begin{bmatrix} 0 \\ 0 \\ 1 \end{bmatrix}$$

It is desired to place the poles at  $s = -1 \pm j2$ , s=10. Determine state feedback gain matrix 'k' using Ackerman's formula.

- c) Explain concept of effect of pole zero cancellation. [6]
- Q5) a) State and explain Shannon's Sampling theorem. Also discuss aliasing effect.
  - b) Explain mapping between s-plane and z-plane. [6]
  - c) Determine the stability of sampled data control system using Jury's stability analysis having following polynomial [5]  $2z^4 + 8z^3 + 12z^2 + 5z + 1 = 0$

OR

### [6181]-126A

2

- *Q6*) a) Explain in detail ZOH and FOH operation. Derive the transfer function of ZOH.
  - b) Explain basic block diagram of the digital control system. [6]
  - c) Determine the stability by using Bilinear transformation for sampled data control system having polynomial  $z^3 0.2z^2 0.25z + 0.05 = 0$ . [5]
- Q7) a) What is reaching law? Why is it required? Write expressions of constant rate reaching law, constant plus proportional rate reaching law and power rate reaching law.
  - b) State and explain the linear quadratic regulator problem. [6]
  - c) Describe a self-tuning regulator with suitable block diagram. [5]
- Q8) a) Derive the expression of equivalent control in sliding mode control. [6]
  - b) Describe a self-tuning regulator with suitable block-diagram. [6]

[5]

c) List out the properties of studing mode control.

[6181]-126A

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